# Building a Sunspot Group Number Backbone Series 

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## Why a Backbone? And What is it?

Building a long time series from observations made over time by several observers can be done in two ways:

- Daisy-chaining: successively joining observers to the 'end' of the series, based on overlap with the series as it extends so far [accumulates errors]
- Back-boning: find a primary observer for a certain [long] interval and normalize all other observers individually to the primary based on overlap with only the primary [no accumulation of errors]

When several backbones have been constructed we can join [daisy-chain] the backbones. Each backbone can be improved individually without impacting other backbones


Carbon Backbone

## The Backbones

- SIDC Backbone
- Waldmeier Backbone
- Wolfer Backbone
- Schwabe Backbone
- Staudach Backbone
- Earlier Backbone(s)
[????-2013]
[????-????]
[1841-1945]
[1794-1883]
[????-????]
[1610-????]


## Sources of Data

- The primary source is the very valuable tabulations by Hoyt and Schatten of the 'raw' count of groups by several hundred observers
- In some cases [especially Wolf and Schwabe] data has been re-entered and re-checked from Wolf's published lists, as some discrepancies have been found with the H\&S list



## The Wolfer Backbone

Alfred Wolfer observed 1876-1928 with the 'standard' 80 mm telescope



Rudolf Wolf from 1860 on mainly used smaller 37 mm telescope(s) so those observations are used for the Wolfer Backbone

## Normalization Procedure, I

## What we do not do:

- Compare only days when both observers actually observed. This is problematic when observations are sparse as during the early years.
- Compare only days when both observers actually recorded at least one group. This is clearly wrong as it will bias towards higher activity.


## What we do:

- We compute, for each observer, the monthly mean of actual observations [including days when it was indeed observed that there were no groups].
- We compute, for each observer and for each year, the yearly mean of the average counts for months with at least one observation.


## Normalization Procedure, II




For each Backbone we regress each observers group counts for each year against those of the primary observer, and plot the result [left panel]. Experience shows that the regression line almost always very nearly goes through the origin, so we force it to do that and calculate the slope and various statistics, such as $1-\sigma$ uncertainty and the $F$-value. The slope gives us what factor to multiply the observer's count by to match the primary's. The right panel shows a result for the Wolfer Backbone: blue is Wolf's count [with his small telescope], pink is Wolfer's count [with the larger telescope], and the orange curve is the blue curve multiplied by the slope. It is clear that the harmonization works well [at least for Wolf vs. Wolfer].

## Schmidt, Winkler



## Weber, Spörer



## Tacchini, Quimby






## Broger, Leppig






## Konkoly, Mt. Holyoke






Etc... Dawson, Guillaume, Bernaerts, Woinoff, Merino, Ricco, Moncalieri, Sykora, Brunner,...12

## The Wolfer Group Backbone




If we average without weighting by the F -value we get very nearly the same result as the overlay at the left shows



## The Schwabe Backbone

Schwabe received a 50 mm telescope from Fraunhofer in 1826 Jan 22. This telescope was used for the vast majority of full-disk drawings made 1826-1867.



For this backbone we use Wolf's observations with the large 80 mm standard telescope


## Wolf, Shea



## Schmidt, Carrington



## Spörer, Peters



## Pastorff, Weber



## Hussey, Stark



## Tevel, Arago



## Flaugergues, Herschel



## The Schwabe Group Backbone




## Joining two Backbones



Comparing Schwabe with Wolfer backbones over 1860-1883 we find a normalizing factor of 1.55



## Comparison Backbone with GSN and WSN




## How do we Know HMF B?



## Staudach Observations



## Zucconi, Horrebow



## Staudach Backbone



